

Inspire Maths 6 Long-term Plan

Unit title	Key concepts
1 Algebra	
Using letters as numbers	<ul style="list-style-type: none"> Letters in algebraic expressions represent numbers A letter can represent a specific unknown number or any number in general
Simplifying algebraic expressions	<ul style="list-style-type: none"> The sum $a + a + a + \dots + a$ (n terms) $= n \times a = na$ The sum $ma + na = (m + n) \times a = (m + n)a$ The difference $ma - na = (m - n) \times a = (m - n)a$
Word problems	<ul style="list-style-type: none"> The process of problem solving in mathematics involves the application of concepts and strategies
Assessment Book – Test 1	
2 Angles in Shapes and Diagrams	
Finding unknown angles	<ul style="list-style-type: none"> Understanding and applying the properties of angles, triangles, squares, rectangles, parallelograms, rhombuses and trapeziums
Assessment Book – Test 2	
3 Nets	
Solids	<ul style="list-style-type: none"> Cubes and cuboids have rectangular faces (including squares) Prisms have rectangular faces (including squares) and two identical polygonal faces (which could also be rectangles) Pyramids have triangular faces that meet at a point and a polygonal base Cylinders have a curved surface and two identical circular bases (at the ends) Cones have a curved surface and a circular base
Nets of solids	<ul style="list-style-type: none"> A net of a solid is a diagram that can be folded to make the solid A solid can have different nets
Practice Book – Review 1	
Assessment Book – Test 3, Challenging Problems 1, Check-up 1	
4 Fractions	
Four operations with fractions	<ul style="list-style-type: none"> A fraction is a part of a whole or set, a ratio or a quotient Addition and subtraction of fractions or mixed numbers can be interpreted in the same way as addition and subtraction of whole numbers Multiplication of fractions, for example, $\frac{2}{3} \times \frac{3}{4}$ is interpreted as $\frac{2}{3}$ of $\frac{3}{4}$ or $\frac{3}{4}$ of $\frac{2}{3}$ Division of a fraction by a whole number is interpreted as partition (sharing)
Dividing by a proper fraction	<ul style="list-style-type: none"> Division by a proper fraction is interpreted as measurement division; e.g., $3 \div \frac{2}{3}$ or $\frac{3}{4} \div \frac{2}{3}$ is interpreted as the number of two-thirds in 3 or $\frac{3}{4}$
Word problems	<ul style="list-style-type: none"> The process of problem solving in mathematics involves the application of concepts and strategies
Assessment Book – Test 4	

5 Ratio	
Ratio and fraction	<ul style="list-style-type: none"> • The ratio of one quantity to another quantity may not represent the actual number of items in each group • A simplified ratio of two quantities shows the relative amount of each quantity with respect to the other
Word problems (1)	<ul style="list-style-type: none"> • Fractions and ratios can be used to show the relative amounts of two quantities • The multiple concept in multiplication is another comparative tool to show the relative amount of two quantities
Comparing ratios	<ul style="list-style-type: none"> • The quantities in fixed ratios increase or decrease by the same multiple
Word problems (2)	<ul style="list-style-type: none"> • When quantities are increased or decreased in relation to each other, the ratios of the quantities are also changed
Assessment Book – Test 5	
6 Percentage	
Finding percentages	<ul style="list-style-type: none"> • Percentages are similar to decimal fractions • A percentage is a special type of decimal fraction, giving the number of parts out of 100 equal parts rather than out of 1
Word problems (1)	<ul style="list-style-type: none"> • Applying the concepts learnt on percentage to solve word problems using a variety of strategies
Word problems (2)	<ul style="list-style-type: none"> • Applying the concepts learnt on percentage and a variety of strategies to solve higher-order word problems
Assessment Book – Test 6, Challenging Problems 2, Check-up 2	
7 Speed	
Distance and speed	<ul style="list-style-type: none"> • Speed is defined as the distance travelled per unit of time • The greater the distance travelled per unit of time, the faster the speed
Average speed	<ul style="list-style-type: none"> • Average speed is not the mean of two or more speeds • Average speed is the mean distance travelled per unit of time • Average speed is calculated by dividing the total distance travelled by the total time taken
Word problems	<ul style="list-style-type: none"> • Applying combinations of concepts such as mean (average), speed and rate to solve higher-order word problems
Practice Book – Review 2	
Practice Book – Revision 1	
Assessment Book – Test 7	
8 Circles	
Radius, diameter and circumference	<ul style="list-style-type: none"> • A radius of a circle is any straight line from the centre to a point on the circumference • A diameter of a circle is any straight line that joins two points on the circumference and passes through the centre • The circumference of a circle is its perimeter • The ratio of the circumference of a circle to its diameter is the constant π
Area of a circle	<ul style="list-style-type: none"> • The area of a circle is equal to $\pi \times \text{Radius} \times \text{Radius}$
Assessment Book – Test 8	

9 Pie Charts	
Understanding pie charts	<ul style="list-style-type: none"> The circle in a pie chart represents one whole or 100%
Practice Book – Review 3	
Assessment Book – Test 9, Challenging Problems 3	
10 Area and Perimeter	
Area and perimeter of composite shapes	<ul style="list-style-type: none"> The properties of squares, rectangles, triangles and circles Formulae can be used to find the perimeters and areas of squares, rectangles and triangles, as well as the circumference and area of circles
Assessment Book – Test 10	
11 Volume of Solids and Liquids	
Volume of solids	<ul style="list-style-type: none"> The volume of a cuboid is the product of its length, width and height The square root of a number n is the number m so that $m \times m = n$ The cube root of a number n is the number m so that $m \times m \times m = n$
Volume of liquids	<ul style="list-style-type: none"> The volume of liquid in a full container is given by the capacity of the container Liquid in a container takes the shape of the container Rate is an example of direct proportion, and problems involving rate can be solved using the unitary method
Practice Book – Review 4	
Practice Book – Revision 2	
Assessment Book – Test 11	
Think It Through	